

# Water hammering in fire fighting installation

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## *Forward*

One of major problems raised in the fire fighting network installed at Pioneer company for pharmaceutical industry /Sulaymania was the high water hammering during the testing and operation of the system

This work goal is to find out the reason(s) of the phenomena

The designer had take the standard criteria to insure proper operation of the system

This work is based on analyzing the hydraulic characteristic of the pumping station with the net work

The transient analysis was done to predict the level of hammering in order to study the dynamics of the system

Software called (AFT Impulse) was used for analysis

## 1-Basic theory of water hammer

Water hammer is a phenomena associated to most pumping stations  
It occurs when a valve is suddenly turned off, or a trip of the pump occurs, the velocity change of moving fluid will change to pressure waves.

The wave travels along the piping in speed of sound, causing high impacts on piping elements and supports.

Joukowsky equation is

$$\frac{\partial P}{\partial t} = \rho a \partial v / \partial t$$

$$\Delta P = \rho a \Delta V \text{ -----} (1)$$

Where

P = pressure

V = velocity

A sound speed in the fluid

$\rho$  fluid density

t time

### Equation for wave speed

As the speed of sound in a fluid is the

$$\sqrt{\text{effective bulk modulus/density}}$$

, the peak pressure will depend on the fluid compressibility if the valve is closed abruptly or a pump is tripped

$$a = \sqrt{\frac{k}{\rho} / \left[ \left(1 + \frac{V}{a}\right) \left\{ 1 + \left(\frac{K}{E}\right) \left(\frac{D}{T}\right) c \right\} \right]} \quad \text{-----} \quad (2)$$

,

where

a = wave speed

K = bulk modulus of elasticity of the fluid

$\rho$  = density of the fluid

E = elastic modulus of the pipe

D = internal pipe diameter

T = pipe wall thickness

c = dimensionless parameter due to system pipe-constraint condition on wave speed

### Expression for the excess pressure due to water hammer

When a valve with a volumetric flow rate Q is closed, an excess pressure  $\delta P$  is created upstream of the valve, whose value is given by the [Joukowsky](#) equation:

$$\delta P = Z_h Q$$

In this expression

Over pressurization  $\delta P$  is expressed in Pa;

Q is the volumetric flow in m<sup>3</sup>/s;

- $Z_h$  is the hydraulic impedance, expressed in kg/m<sup>5</sup>/s.

The hydraulic impedance  $Z_h$  of the pipeline determines the magnitude of the water hammer pulse. It is itself defined by:

$$Z_h = \sqrt{\rho B_{ef}} / A$$

with:

$\rho$  the density of the liquid, expressed in  $\text{kg/m}^3$ ;

A cross sectional area of the pipe,  $\text{m}^2$ ;

$B_{\text{eff}}$  effective modulus of compressibility of the liquid in the pipe, expressed in Pa.

The latter follows from a series of hydraulic concepts:

Compressibility of the liquid, defined by its adiabatic compressibility modulus  $B_l$ , resulting from the equation of state of the liquid generally available from thermodynamic tables;

the elasticity of the walls of the pipe, which defines a modulus of equivalent compressibility  $B_{\text{eq}}$ . In the case of a pipe of circular cross section whose thickness  $e$  is small compared to the diameter  $D$ , the equivalent modulus of compressibility is given by the following formula:

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- $B_p = eE/D$ ; in which  $E$  is the Young's modulus (in Pa) of the material of the pipe;
- 
- possibly compressibility  $B_g$  of gas dissolved in the liquid, defined by:
- $B_g = P / \alpha$ 
  - $\gamma$  being the ratio of specific heats of the gas
  - $\alpha$  the rate of ventilation (the volume fraction of undisclosed gas)
  - and  $P$  the pressure (in Pa).

Thus, the effective compressibility modulus is:

◦

$$\frac{1}{B_{eff}} = \frac{1}{B_l} + \frac{1}{B_p} + \frac{1}{B_g} \quad \text{-----} \quad (5)$$

As a result, we see that we can reduce the water hammer by:

- increasing the pipe diameter at constant flow, which reduces the inertia of the liquid column;
- choosing to use a material with a reduced Young's modulus;
- introducing a device that increases the flexibility of the entire hydraulic system, such as a hydraulic accumulator;
- Where possible, increasing the percentage of undisclosed air in the liquid.

The water hammer effect can be simulated by solving the following partial differential equations.

$$\frac{\partial V}{\partial X} + \frac{1}{B_m} * \frac{\partial P}{\partial t} = 0$$

$$\frac{\partial V}{\partial t} + \frac{1}{a} * \frac{\partial P}{\partial x} + \frac{f}{2D} * V|V| = 0 \quad \text{-----} \quad (6)$$

Where  $V$  is the fluid velocity inside pipe,  $\rho$  is the fluid density and  $B_m$  is the equivalent bulk modulus,  $f$  is the friction factor.

### System description

The existing fire fighting system consist of mane lope of birdied ductile iron, 12 inches in diameter, and branches

Two branches for each building, the branches are feeding fire cabinets which are distributed in the building

Above ground distribution network are constructed of 4 inch galvanized steel

The highest fire cabinet is located at 7.0 m above the finish floor

The fire fighting network is supplied by two main pumps, one off is electrically driven by 40 kW motor, the other is diesel generator

Driven, for emergency

An underground concrete tank 400 m<sup>3</sup> capacity is the main supply of the system

Fig -1 is a layout of the landscape of the network.

### System specifications

The existing system consist of the following parts

- 1- 400 m<sup>3</sup> fire tank , constructed off reinforced concrete
- 2- Pumping station , consisting of
  - A- A-C electrical motor driven , horizontally split case fire pump  
ITT-SERIES 1100 size 1x1x1AF , 700 GPM @ 100 PSI
  - B- Diesel generator driven with the same as above
  - C- Jokey pump , vertical multistage model ITT-33 SVBC 618  
Flow 0 l/s @ 7.0 m head
- d- hydro-pneumatic tank model FX 300 ,size 300 l

ϣ- Landscape network forming a closed loop around the protected area , consisting of buried 12 inch ductile iron piping

There were 10 hydrants, with 1 1/2 inch size landing valves, and

2000 GPM flow capacity

ξ- Inside building

The both production buildings are protected by this system

Each building are supplied with two riser of 12 inch size galvanized steel pipe

The distribution piping forms a closed loop at each elevation, the loop size is 12 inch, the fire cabinets are feed via 1 1/2 inch galvanized steel branch

ο- Fire hydrants , consisting of 1 1/2 inch landing valve with 200 meter hoses , flow of each hydrant is 2000 GPM

System modeling

We will use the pipe 2000 soft ware to analyze the entire system both steady state operation and transient period to predict the behaviour of system dynamics

The only event which will cause water hammering in the systems like fire fighting networks is the pump trip, other cases like sudden valve closure is not happen here

To reduce the size of working file and to reduce run time of the program, and to focus on the branches at fire hydrants and the

We did the following

1- fire hydrants are substituted by hydraulic resistant at the risers

2- the hydrant most remote of the pumping station was considered to be in operation , others are closed

3- the hydraulic resistant are calculated according to the real piping and fitting configurations



- ξ- using different flow rates to predict effect of flow variation on the dynamics of the piping
- ο- using two different water hammer arrestors , bladder tank and relief valve

The fig no – is the model which will be analyzed

### Calculations

#### ϱ- flow coefficients

This concept is used to define characteristics of valves and nozzles it's described by Cv

$$Q = C_v \sqrt{\Delta P / Sg}$$

Q flow rate  $F^{\text{r}}/S$

$\Delta P$  = pressure drop psi

Sg = specific gravity of liquid

#### ϒ- flow resistance

This concept is used to define characteristics of pipes and fittings denoted by R

$$R = Hl / Q^{\text{r}}$$

Hl = head loss in FOOT

Q flow rate  $F^{\text{r}}/S$

According to above definition, the resistance of valves and fittings will be as follows, Sg = 1 for water

$$Q^{\gamma} = Cv^{\gamma} \Delta P$$

$$\Delta p / Q^{\gamma} = \gamma / Cv^{\gamma}$$

To convert in foot of water multiply by  $\gamma \cdot \gamma$

$$HI / Q^{\gamma} = \gamma \cdot \gamma / Cv^{\gamma}$$

Combined resistance of two components in series is

$$R = R^{\gamma} \times R^{\gamma} / \sqrt{(R^{\gamma} + R^{\gamma})}$$

Calculating the branch of most remote hydrant (see fig. no. ---)

The total resistance will be

$$1.34 \cdot S / m^{\circ}$$

$\gamma$  - wave speed

Bulk modulus of water  $\gamma \gamma E^{\gamma}$  Pa (N/M $\gamma$ )

Recalling equation ( )

$$Bp = eE / D$$

e = pipe thickness =  $0.330$  inch ( $0.0080$  m)

E modulus of electricity of the pipe material

$$B_{ef} = 0.9 E^{\gamma} \text{ pa}$$

Hydraulic impedance

$$Z_h = \sqrt{1.00 \times 10^8 E^{\gamma} / 0.303}$$

$$= 68224331.2 \text{ KG/M}^{\gamma}.S$$

Pressure rise due to sudden valve shutdown

$$\Delta P = 0.047 \times 68224331.2$$

$$= 32.6043.0 \text{ pa} = 32 \text{ bar}$$

If a gas chamber added to the system with pressure equal to system pressure

The effective bulk modulus will be

$$B_{eff} = 699916.2$$

$$Zh = 062892 \text{ Pa} = 0.0 \text{ kg/cm}^2$$

Analyzing the whole system by a computer software

The software used is

Key pipe 2000

It's a demo version, so it's limited in to use in the following

- 1- pipe material – concert and ductile iron can be used
- 2- pipe size , upper limit is 14 inch
- 3- no excess to change default fluid properties

Fortunately the fluid is water

- 4- total pipe length shall not exceed 1000 m

## Analysis Cassese

The Maine cause of the hammering in the system under consideration is the pump trip,

The pump is controlled by a pressure switch, as the pressure reaches the predefined value the pump will trip

The following cases are analyzed

- A- system without expansion tank
- B- system with different sizes of expansion tanks
- C- Effect of tank piping on the performance of the system

## Results

### A- surge tank size

the total volume of the system is  $40 m^3$ , an approximate tank size based on water bulk modulus of  $2.2 \times 10^9 Pa$  is  $200 l$  tank the analysis shows that this volume is not correct size the reason is the dynamic effect of the system.

See fig( )

### B- effect of tank preset pressure

low preset pressure will reduce the gas volume at operation, so reduces the system flexibility, high pressure does the same the tank pressure must be kept near the minimum system pressure  
see fig.

### C- effect of piping connecting the surge tank with the system

size of pipe connecting the surge tank to the system has major effect on the performance of the tank hydraulic resistance must be kept minimum for water inlet to the tank, but some throttling is necessary for outlet

Different analysis results are represented as graphs, showing the variation of pressure at main header and surge tank with time

## Conclusions

- 1- the system was well designed
- 2- the surge tank preset pressure must be adjusted to  $1.5 bar$

- ٣- the connection of the surge tank shall be changed to ١-١/٢ inch pipe
- ٤- hydrant net works shall be equipped with automatic venting valves
- ٥- Periodic check of the surge tank pressure required.

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